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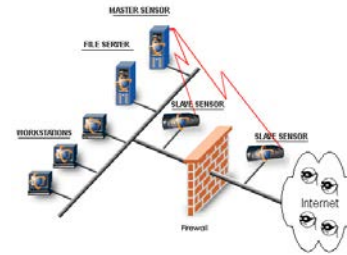
# Intelligent Agents for Detecting Anomalies in Complex Systems

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## Global vs. partial models of complex systems

- Several complex systems do not admit **global models** capturing all their aspects but **partial models** that describe individual sub-systems or specific aspects
- Examples: heart rate, intrusion detection in computer networks, water resources, satellites, ...



- Possible solutions: (black-box) data-driven approaches or **aggregating partial models**

## Aggregating partial models: Overview of the idea

- Partial models are embedded in **intelligent agents**
  - Agent = independent autonomous AI system
- An agent detects only some anomalies and returns an anomaly probability
- The problem is to design the **interaction mechanisms** for aggregating anomaly probabilities returned by the agents to obtain a global anomaly probability
- Examples of interaction mechanisms: average, max or min, cooperative negotiation, voting, ...



## Examples

- **Heart rate:** agents relate heart rate to different physiological quantities  
[Amigoni et al., Artif Intell Med, 2003] [Amigoni et al., IEEE T Inf Technol B, 2006]

$$QT = C_1 - C_2 \times \exp^{-\frac{C_3}{HR}}$$
$$HR = \begin{cases} 65 & RR \leq 15 \\ 2,8 \times RR + 25 & 15 < RR < 45 \\ 150 & RR \geq 45 \end{cases}$$

- **Intrusion detection systems in computer networks:** agents capture anomalies on different aspects  
[Amigoni et al., Proc. IAT, 2008]
  - Number of syn-flags (opening of new connections), number of reset-flags (aborted connections), most used ports, ...
- **Water resources systems:** agents represent the views of different stakeholders  
[Mason et al., Water Resour Res, 2018]



## Case study: Anomaly detection from data of the Cryosat-2 satellite

Flight-Control Team Multi-Agent System (FCTMAS) Study conducted by Politecnico di Milano, European Space Agency (ESA) - Advanced Mission Concepts and Technologies Office, and Telespazio Vega Deutschland GmbH  
[Amigoni et al., Proc. IAS, 2018]

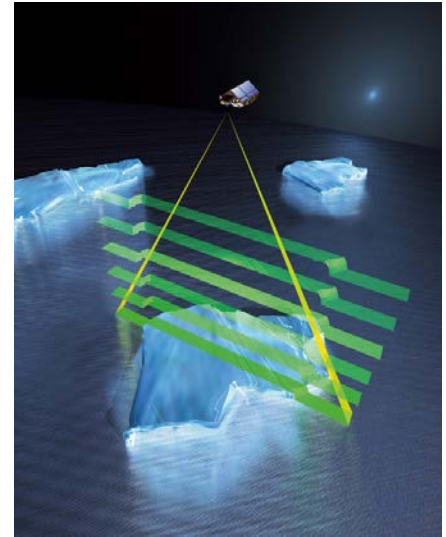


## The application context

«ESA's CryoSat mission is dedicated to measuring the thickness of polar sea ice and monitoring changes in the ice sheets that blanket Greenland and Antarctica»  
[[www.esa.int](http://www.esa.int)]

### Cryosat-2 satellite

The flight control team receives a lot of data from the satellite and has to identify anomalous behaviors



# The anomaly detection problem

## Events log file

```
2013-08-03 07:08:13.553 20755 2 BEHVLimCPB crymca Information Log 2013.215.05.08.50.190 DHT30304 VAL: ON STATE: ON STATUS
limit is back to nominal
2013-08-03 07:08:11.275 13524 1 CMDHveri crymca Information Log TC: SSC09000, APID: 812, SSC: 13900
set stage: EV_APP_ACCEPT status to: PASSED
...
2013-08-22 23:32:20.754 23001 1 TPKT crymca Error System 4 Missing Source Packets, APID = 68, VCID = 0,
SSC = 14894, Time = 2013-08-22T23:32:18.710216
2013-08-22 23:32:19.511 10307 1 NCDUadmi crymca Warning Log NCDU:TM007 Data gap on TM link VC 250/0,
Mode: Onl-TIM from KR14 . Reason: unk, Size: 15
2013-08-22 23:32:19.448 13842 1 CMDHmplx crymca Information Log Commanding link status set to: TC: NO_RF, TM: GREEN
2013-08-22 23:32:19.443 14778 1 TPKT crymca Error System Unexpected spill-over data fhp = 730
```

Anomaly models for single variables (anomaly = deviation from nominal behavior) that return anomaly probabilities

Aggregation of anomaly probabilities returned by anomaly models for single variables to detect system-level anomalies



# Anomaly models for single variables

## Nominal models

### Numerical values

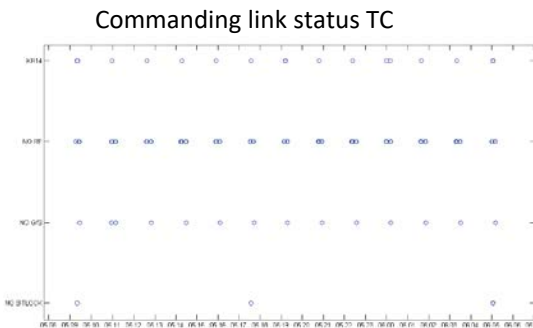
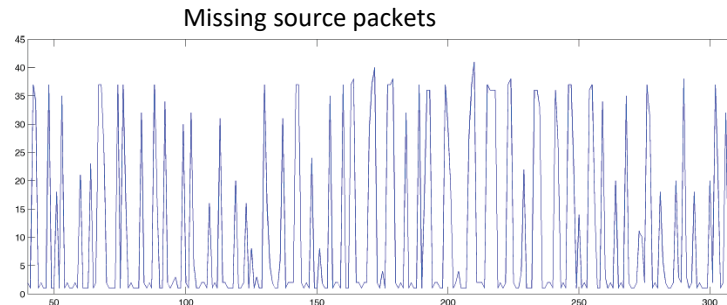
- Neural networks
- Autoregressive Moving Average (ARMA)
- ...

### Categorical values

- Markov chains
- ...

## Anomaly models

$D_i$ : state  $\mapsto$  anomaly probability



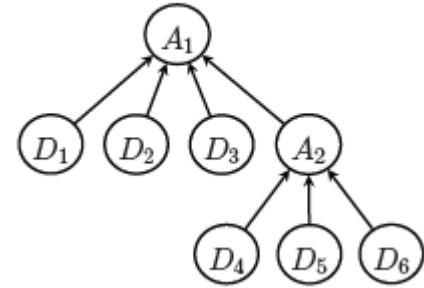


## The aggregation problem

Given anomaly models for single variables  $\{D_1, D_2, \dots, D_I\}$ , find their best aggregation

Aggregation is a tree

- $D_i$  are the leaves
- **Aggregation functions**  $A_j$  are other nodes
- The root returns the system's anomaly probability



The best aggregation tree maximizes the identification of anomalies *at the system level*

# Aggregation functions (1)

## Maximum aggregation functions

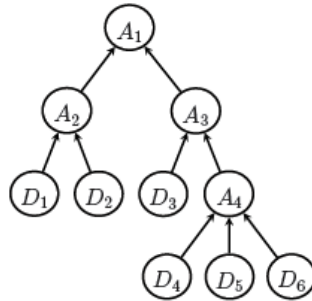
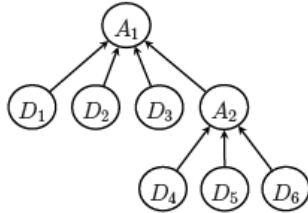
$$A_j(p_1, p_2, \dots, p_{k_j}) = \max\{p_1, p_2, \dots, p_{k_j}\}$$

- All aggregation trees are equivalent

## Average aggregation functions

$$A_j(p_1, p_2, \dots, p_{k_j}) = \frac{p_1 + p_2 + \dots + p_{k_j}}{k_j}$$

- Equivalence classes of aggregation trees

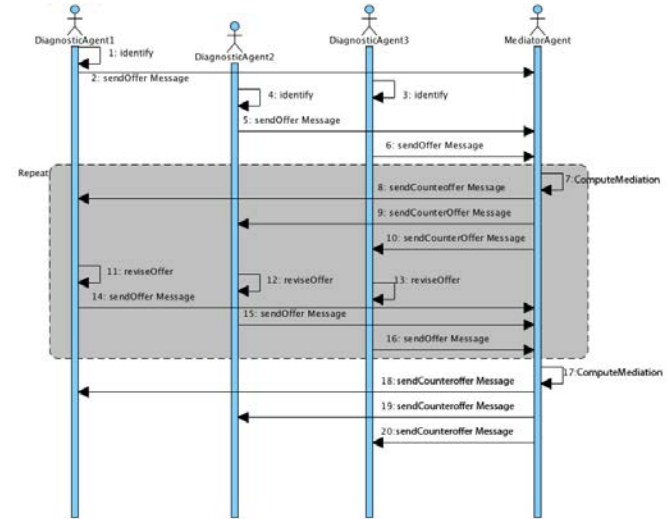
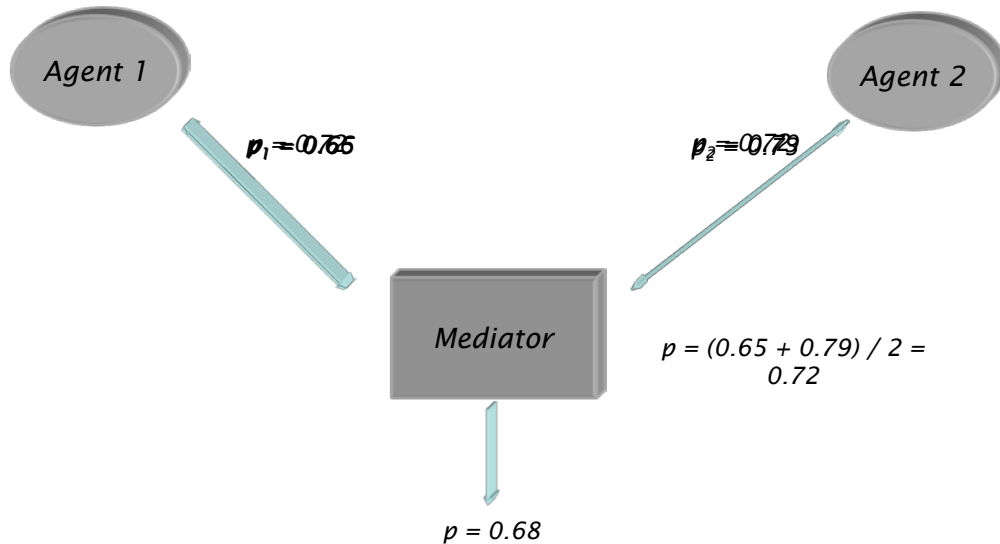


$$\frac{p_1}{4} + \frac{p_2}{4} + \frac{p_3}{4} + \frac{p_4}{12} + \frac{p_5}{12} + \frac{p_6}{12}$$

## Aggregation functions (2)

### Cooperative negotiation aggregation functions

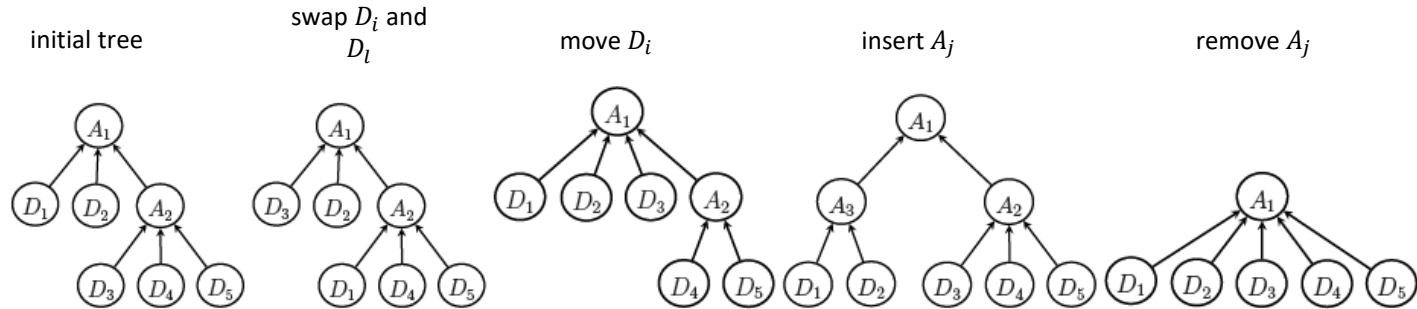
- Iterative procedure to find agreements between children
- Proposals and counter-proposals [Amigoni and Gatti, JAAMAS, 2007]
- Equivalence classes of aggregation trees



# Solving algorithms (1)

## Enumeration algorithm

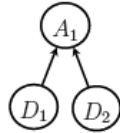
**Simulated annealing** algorithm: local moves with decreasing probability of accepting a move that worsens the aggregation tree



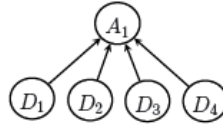
## Solving algorithms (2)

**Greedy** algorithm: local moves that strictly improves the aggregation tree

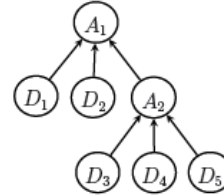
initial tree



add  $D_i$



insert  $A_j$



- Does not cover the entire solution space

## Experimental evaluation

Implementation: each node of the aggregation tree is an independent software agent in JADE

Anomaly models of 5 variables built from data of Cryosat-2 collected in February 2013

Anomaly at the system level with probability  $> 0.2$

Cost matrix

	System ok	System anomalous
Classified ok	0	50
Classified anomalous	10	0

Test on data of Cryosat-2 collected in July and August 2013

Injection of anomalies at the system level



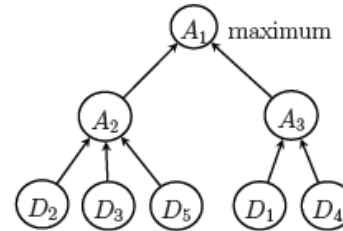
# Experiment

## Single variable anomaly → System anomaly

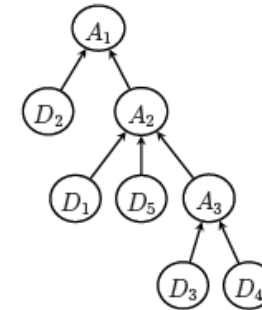
#	$D_1$	$D_2$	$D_3$	$D_4$	$D_5$	A/N
01	0.5					A
02	0.5					A
03		0.3				A
04		0.4				A
05		0.7				A
06		0.5				A
07			0.3			A
08			0.8			A
09			0.9			A
10				0.7		A
11				0.7		A
12					0.8	A
13					0.4	A
14					0.4	A
15					0.3	A
16	0.4					A
17	0.8					A
18	0.5					A
19		0.5				A
20		0.5				A

## Best solutions

cost = 0



cost = 100



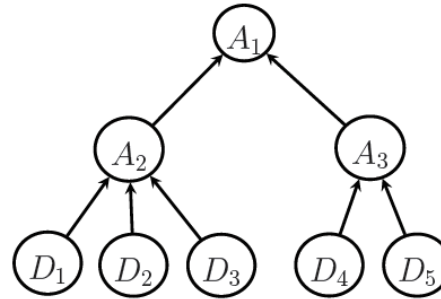
$A_j$ : cooperative negotiation

# Experiment

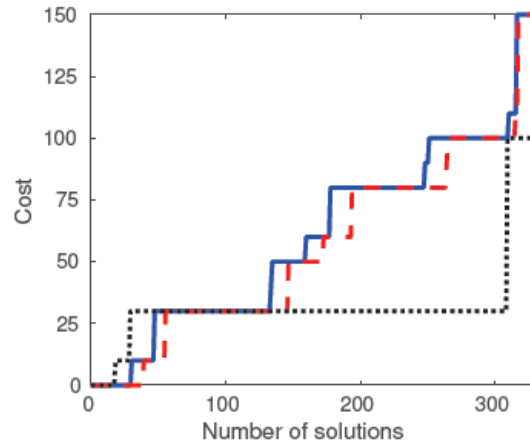
## Correlated variables

Optimal solutions with cost = 0

#	$D_1$	$D_2$	$D_3$	$D_4$	$D_5$	A/N
01				0.60		A
02		0.20				N
03	0.10	0.15	0.35			N
04	0.10	0.12	0.35			N
05	0.10	0.10	0.35	0.70		A
06			0.20			N
07				0.50		A
08	0.10	0.09	0.25			N
09	0.20	0.17	0.35			N
10	0.25	0.18	0.35			A
11			0.20			N
12				0.40		A
13			0.10	0.50		A
14	0.10	0.10	0.25	0.60		A
15	0.10	0.08	0.25			N
16	0.05	0.07	0.20			N
17	0.30	0.28	0.45			A
18	0.35	0.30	0.55			A
19	0.25	0.10	0.35			A
20	0.10	0.12	0.25			N



$A_j$ : cooperative negotiation



Blue: enumeration  
 Red: simulated annealing  
 Black: greedy



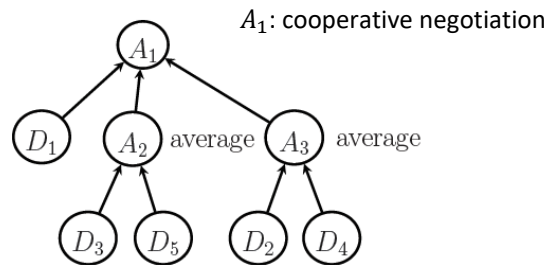


# Experiment

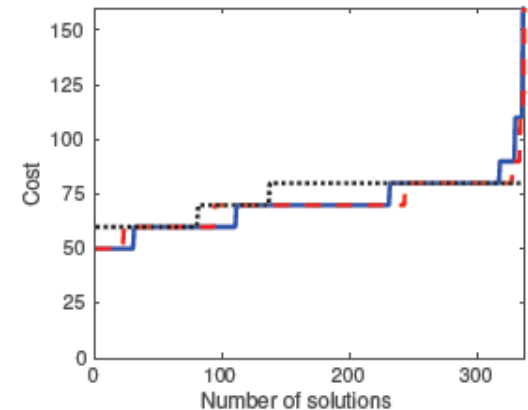
## Subsets of correlated variables

Optimal solutions produce 2 false positives (cost = 20)

#	$D_1$	$D_2$	$D_3$	$D_4$	$D_5$	A/N
01	0.15	0.20	0.25			N
02	0.10	0.15	0.20			N
03	0.25	0.28	0.32			N
04	0.30	0.32	0.35			A
05	0.25	0.35	0.40			A
06	0.35	0.40	0.50			A
07	0.45	0.55	0.60			A
08	0.10	0.09	0.25			N
09	0.20	0.17	0.35			N
10	0.25	0.18	0.35			N
11				0.30	0.20	N
12				0.40	0.30	N
13				0.50	0.40	N
14				0.60	0.45	A
15				0.65	0.55	A
16				0.70	0.40	A
17				0.80	0.70	A
18	0.05	0.10	0.15	0.20	0.30	N
19	0.15	0.20	0.25	0.30	0.40	N
20	0.20	0.25	0.30	0.40	0.50	N



Blue: enumeration  
 Red: simulated annealing  
 Black: greedy



# Experiment Scalability

## Enumeration algorithm

Number of anomaly models for single variables

$I$	5	6	7	8	9	10	11	12
trees	$3 \cdot 10^2$	$6 \cdot 10^3$	$1 \cdot 10^5$	$4 \cdot 10^6$	$2 \cdot 10^8$	$8 \cdot 10^9$	$4 \cdot 10^{11}$	$3 \cdot 10^{13}$
time	0 s	0 s	0 s	15 s	9 m	8 h	19 d*	3.7 y*

\* estimated

Simulated annealing and greedy algorithms are tunable by the user (e.g., number of iterations)



## Guidelines for applications

System anomalies related to single variables

→ Use maximum aggregation functions

System anomalies related to correlated variables

→ Use cooperative negotiation aggregation functions

System anomalies related to subsets of correlated variables

→ Use combinations of aggregation functions

Simulated annealing is the most effective algorithm for building aggregation trees



## Conclusions

**Aggregating partial models using mechanisms for intelligent agents' interaction could provide a solution for anomaly detection in complex systems**

The approach is similar to some ensemble approaches, but it provides more structure and better understanding of the systems (good for diagnosis)



**Thank you!**

